



instance of the problem as string.

- All reasonable representations are polynomially related Unary coding is not reasonable
- ➡ Convention: Numbers will always be represented in binary.

## Definition

GM

A *k*-string Turing machine M is a quadruple  $(K, \Sigma, \delta, s)$ .

**1**  $K, \Sigma$  as before.

**2**  $\delta$  is a function

 $\delta \colon \mathcal{K} \times \Sigma^k \to (\mathcal{K} \cup \{\mathsf{h}, \textit{ yes, no}\}) \times (\Sigma \times \{\leftarrow, \rightarrow, -\})^k$ 

**3** If M computes a function, the output is written on the last string.

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GM

	$p \in K$	$\sigma_1\in \Sigma$	$\sigma_2\in \Sigma$	$\delta(\pmb{p},\sigma_1,\sigma_2)$
	5	0		(s,0, ightarrow,0, ightarrow)
	S	1		(s,1, ightarrow,1, ightarrow)
	S	$\triangleright$	$\triangleright$	(s, artimes,  ightarrow, artimes,  ightarrow)
	S			$(q,\sqcup,\leftarrow,\sqcup,-)$
	q	0		$(q,0,\leftarrow,\sqcup,-)$
	q	1		$(q,1,\leftarrow,\sqcup,-)$
	q	$\triangleright$		$(p, \triangleright,  ightarrow, \sqcup, \leftarrow)$
	р	0	0	$(p,1, ightarrow,\sqcup,\leftarrow)$
SIGILI	р	1	1	$(p,1, ightarrow,\sqcup,\leftarrow)$
Ren al	р	0	1	$(no, 1, -, \sqcup, -)$
	OP	1	0	$(no, 1, -, \sqcup, -)$
	p		$\triangleright$	$(yes, \sqcup, -, \triangleright, \rightarrow)$
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