

1. – First observe that `append(Us,Vs,Xs)` is linear in $|Us|$. Now, let $|Xs| = n$. Thus we need n recursive calls to reverse in the proof-tree. For each of these calls at most n calls to `append` are necessary. Hence the proof-tree contains at most $O(|Xs|^2)$ nodes.
- The following variant of `reverse/2` is linear in length of the first list.

```
reverse (Xs, Ys) :-
    reverse (Xs, [], Ys).
```

```
reverse ([], Ys, Ys).
reverse ([X|Xs], Ys, Zs) :-
    reverse (Xs, [X|Ys], Zs).
```

2. `duplicate (Xs,N, Ys) :-`
`duplicate2 (Xs,N, Ys \ []).`

```
duplicate2 ([], _N, Ys\Ys).
duplicate2 ([X|Xs], N, Ys0\Ys2) :-
    generate (X,N, Ys0\Ys1),
    duplicate2 (Xs,N, Ys1\Ys2).
```

```
generate (_X,0, Ys\Ys).
generate (X,N, Ys0\Ys1) :-
    N > 0,
    N1 is N - 1,
    generate (X,N1, Ys0\[X|Ys1]).
```

3. – `foo(X,Y)` holds if Y is reachable from X in a graph represented by the predicate `edge/2`. The graph is traversed breadth-first.
- `setof1(Template,Goal,Set)` succeeds with the empty list, if no instance of *Template* can meet *Goal*. This is in contrast to the system predicate `setof/3`, which simply fails in this case. If `setof1/3` is replaced by `setof/3` in the considered program, then the breadth-first search fails. Let us call the new program `foo'`. For example, if we define the following facts:

```
edge (a, b).
edge (a, c).
```

we have that `foo(a,c)` holds (as it should), but `foo'(a,c)` fails. The meaning of the program changes if `setof1/3` is replaced by the system predicate `setof/3`.

Give an example of a goal that succeeds in the original program, but fails in the altered program.

4. We give the complete solution of the problem.

```
complete_knights_tour(N,Knights) :-
    knights(N,Knights), Knights = [X/Y|_],
    jump(N,X/Y,1/1).
```

```
knights(N,Knights) :-
    M is N*N-1,
    knights(N,M,[1/1],Knights).
```

```
knights(_,0,Knights,Knights).
knights(N,M,Visited,Knights) :-
    Visited = [X/Y|_],
    jump(N,X/Y,U/V),
    \+ memberchk(U/V,Visited),
    M1 is M-1,
    knights(N,M1,[U/V|Visited],Knights).
```

```
jump(N,A/B,C/D) :-
    jump_dist(X,Y),
    C is A+X, C > 0, C <= N,
    D is B+Y, D > 0, D <= N.
```

```
jump_dist(1,2).
jump_dist(2,1).
jump_dist(2,-1).
jump_dist(1,-2).
jump_dist(-1,-2).
jump_dist(-2,-1).
jump_dist(-2,1).
jump_dist(-1,2).
```

5.

statement	yes	no
A rule is a universally quantified logical formula of the form $A \leftarrow B_1, B_2, \dots, B_n$, where A is a goal and for all $i = 1, \dots, n$: B_i is a goal.	<input checked="" type="checkbox"/>	<input type="checkbox"/>
An SLD-refutation is a finite SLD-derivation ending in the goal to be proven.	<input type="checkbox"/>	<input checked="" type="checkbox"/>
Logic programming is a declarative programming paradigm, that is, the computation of a function is made a first-class citizen.	<input type="checkbox"/>	<input checked="" type="checkbox"/>
The declarative semantics of a program P is the minimal model of P .	<input checked="" type="checkbox"/>	<input type="checkbox"/>
The order of goals is irrelevant in the computation model of logic programming, but not the order of rules.	<input checked="" type="checkbox"/>	<input type="checkbox"/>
The order of goals and the order of rules is irrelevant in the computation model of Prolog.	<input type="checkbox"/>	<input checked="" type="checkbox"/>
Prolog is a language without types and the main technique to manipulate data is unification.	<input checked="" type="checkbox"/>	<input type="checkbox"/>
Difference lists are ineffective if the generation of different sections of a list depend on each other.	<input checked="" type="checkbox"/>	<input type="checkbox"/>
A meta-interpreter in Prolog interprets Prolog terms on the Warren abstract machine.	<input type="checkbox"/>	<input checked="" type="checkbox"/>
The predicate $bagof(Template, Goal, Bag)$ unifies Bag with the alternatives of $Goal$ that meet $Template$.	<input type="checkbox"/>	<input checked="" type="checkbox"/>