

**Exercise 1** *Quadratic Equations*

- (a) Create a file `quadratic.hs` containing a Haskell function `square x` which takes an argument  $x$  and returns  $x^2$ .
- (b) Load your file in `ghci` with the command `ghci quadratic.hs`. Run the following commands:

```
square 2  
square (-2)  
square -2
```

What do you observe?

- (c) Write a function `discr a b c` which takes numerical arguments  $a$ ,  $b$ , and  $c$  and returns  $\sqrt{b^2 - 4ac}$ . You may assume that  $b^2 - 4ac$  is non-negative.

*Hint: The Prelude contains a built-in function `sqrt` to calculate the square root of a number.*

**Example:** `discr 2 17 8 = 15.0`

- (d) The quadratic equation  $ax^2 + bx + c = 0$  where  $a, b, c$  are numbers has exactly two distinct real solutions for  $x$  if  $b^2 - 4ac > 0$ . The two solutions are given by the [quadratic formula](#)

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

Write a function `quadratic a b c` which returns the two solution values for  $x$ . You may assume that  $b^2 - 4ac > 0$ .

*Hint 1: You should call your function `discr` in the definition of `quadratic` rather than copying the code.*

*Hint 2: You can return two values from a function by returning a tuple `quadratic a b c = (0, 0)` and replacing the value "0" with the values you wish to return.*

**Example:** `quadratic 2 17 8 = (-0.5, -8.0)`