

# TermComp 2018 Participant: $\mathbb{T}\mathbb{T}\mathbb{T}_2$

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The *Tyrolean Termination Tool* (in its 2<sup>nd</sup> incarnation  $\mathbb{T}\mathbb{T}\mathbb{T}_2$  [2]) is an automated tool for proving (and disproving) termination of term rewrite systems that is developed in the *Computational Logic* group at the University of Innsbruck in Austria.

<http://cl-informatik.uibk.ac.at/ttt2>

Besides various minor changes and improvements, the most notable addition to version v1.17 of  $\mathbb{T}\mathbb{T}\mathbb{T}_2$  for this years termination competition is the following.

**External Nonreachability Tools.** We added an interface that supports external nonreachability tools to the *edg* processor that computes an *estimated dependency graph*. If such a tool is given, it is called for a potential edge, whenever the checks implemented in  $\mathbb{T}\mathbb{T}\mathbb{T}_2$  could not prove nonreachability. The user can provide any program that takes a TRS on startup and individual nonreachability problems successively on standard input. Results are read from standard output, where the answer **NO** is interpreted as nonreachability and every other string as “don’t know.”

Related to this extension of  $\mathbb{T}\mathbb{T}\mathbb{T}_2$ , we developed *nonreach*, a tool for nonreachability analysis that comes with a collection of fast checks based on *tcap* [1] and the *symbol transition graph* [3]. Moreover, *nonreach* employs root-nonreachability checks—based on variations of these fast nonreachability checks—to decompose problems into a disjunction of smaller subproblems. Finally, *nonreach* makes use of narrowing to transform a problem into a conjunction of (potentially easier) problems. Taken together, we obtain a divide and conquer approach to check for nonreachability.

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## References

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- 2 Martin Korp, Christian Sternagel, Harald Zankl, and Aart Middeldorp. Tyrolean Termination Tool 2. In *Proceedings of the 20th International Conference on Rewriting Techniques and Applications (RTA)*, volume 5595 of *Lecture Notes in Computer Science*, pages 295–304. Springer, 2009. doi:10.1007/978-3-642-02348-4\_21.
- 3 Akihisa Yamada. Reachability for termination. 4th Austria–Japan Summer Workshop on Term Rewriting (AJSW), 2016. <http://cl-informatik.uibk.ac.at/users/ayamada/AJSW2016-slides.pdf>.



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